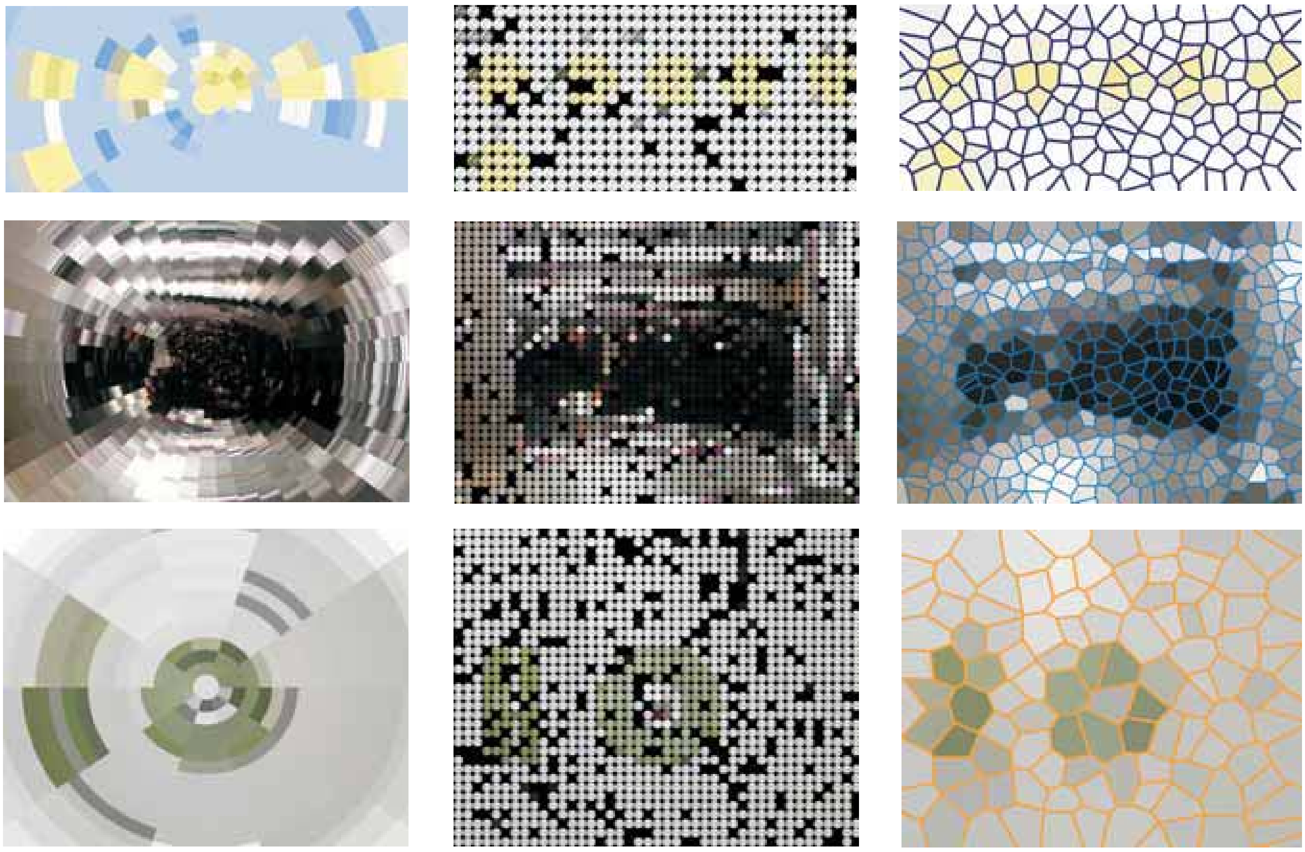
SNE SIMULATION NEWS EUROPE



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Journal on Developments and Trends in Modelling and Simulation

Membership Journal for Simulation Societies in EUROSIM

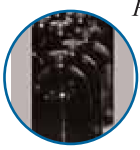
ARGESIM

SNE 16/1 (46), August 2006

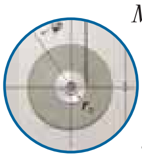
Dear readers,
This is the second SNE issue with new layout, and we are glad, that we got positive reactions for changes in SNE layout and for opening the publication strategy of SNE. Together with this issue, we are proud to announce the first SNE Special Issue 'Parallel and Distributed Simulation Methods and Environments'. First born as idea in ASIM - ASIM Working Groups intend to publish alternately a Special Issue each year, the SNE Special Issues are open for all societies and conference organisers. The Special Issues cause a change in numbering the SNE issues: this regular SNE issue, SNE 46, is now identified as SNE 16/1 (Volume 16, Number 1), the first Special Issue as SNE 16/2; the next regular SNE double issue (SNE 47/48) will be numbered SNE 16/3-4. This remembers, that we are running SNE since 16 years, and we thank our faithful readers.
Together with the new layout, both editorial boards are being reorganised and will be enlarged for the future. We are also working on a new infrastructure for running an editorial office, together with tasks for SNE on the web.
We hope, the readers enjoy this issue, and the contributors appreciate the new editorial structure (more strict, but hopefully more efficient). Three Technical Notes and three Short Notes in this issue show the broad variety of modelling and simulation. The Technical Notes are special ones: based on a post-conference review procedure via Internet for contributions to MATHMOD 2006 Vienna, papers were selected for publication in SNE (to appear also in the next SNE issues). Furthermore, as first reaction on the ARGESIM / MATHMOD Yo-yo Challenge, the Techncial Note by Leon Zlajpah introduces into mechanical mysteries of Yo-yo control. The Comparison Section publishes an updated version of Comparison C13 'Crane and Embedded Control', reflecting the developments in this area of modelling and simulation; furthermore, seven comparison solutions concentrate on modelling issues and alternative approaches.
The News Section reports about progress in new structures for EUROSIM, and about activities in EUROSIM member societies and in Societes related to Modelling and Simulation. We thank all contributors, members of the editorial boards, and people of our ARGESIM staff for co-operation in producing this SNE issue.

Felix Breitenecker, editor-in-chief; Felix.Breitenecker@tuwien.ac.at

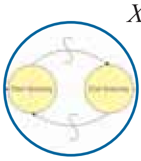
SNE 16-1 / SNE 46 in Five Minutes



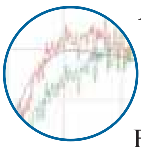
Process Modelling in a Sterilisation Tunnel (TN) - presents modelling and simulation for temperature profiles in an industrial production process ***– page 3***



Modelling and Control of Yoyo (TN) – deals with the classical Yoyo toy: mathmatical models for control and for haptic interfaces, control strategies, and verification by a robot ***– page 9***

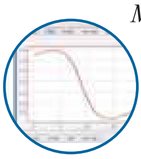


XML in DEVS (TN) – introduces XML as model basis for discrete event models for simulation via WWW and presents a prototype implementation ***– page 16***

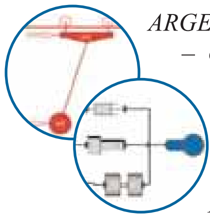


Real-time Simulation with DSPs (SN) - reports about a connection of two DSPs, one identifying the plant, the other performing Kalman Filter and LQ control ***– page 21***

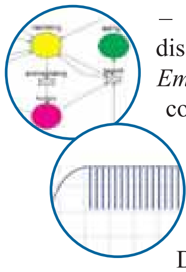
Simulation of Blood Glucose Regulation (SN) – presents MATLAB models glucose status together with a graphical interface for educational use ***– page 23***



Modelling and Control of a 2DOF - Robot (SN) – outlines modelling and simulation of a simple robot for E-learning of simulation and control via WWW ***– page 25***



ARGESIM Comparison Section
– defines a revised benchmark C13 *Crane and Embedded Control* (implicit modelling, digital control, sensor action), followed by a sample solution with *Modelica/Dymola* ***– page 27***



– seven *Comparison Solutions* for discrete comparisons (*Dining Philosophers*, *Emergency Department*), continuous comparisons (*Switching States*, *SCARA Robot*) and general comparisons (*Cellular Automata*, *Identification*) show efficient implementations using MATLAB/Simulink, Dymola, DSOL/Java, Maxima and special Petri Net tools ***– page 31 - 38***

Book Reviews and *Journal News* – Eleven book reviews and one book news

Introduction of the SNE Special Issue *Parallel and Distributed Simulation Methods and Environments*

Call for next SNE Special Issue *Validation and Verification*

– page 39 - 47

Young Simulationists – introduction of simulationists from Germany and Austria ***– page 48***

EUROSIM Society Reports – 20 pages reports from EUROSIM societies, followed by 8 pages from International Societies and Groups (ECMS/SCS, MATHMOD, Modelica, etc.) and 2 pages *Industry News* in the *News Section*

SNE 16/1 (46), August 2006

Content

SNE Editorial Boards

SNE - Simulation News Europe – is advised by two Editorial Boards. The *SNE Editorial Board* is taking care on reviewing and handling of Technical Notes, Shortnotes, Software Notes, Book and Journal Review, and of Comparison and Benchmark Notes. The *SNE News Editorial Board* (News Section) is responsible for reports from EUROSIM, EUROSIM societies, International Societies, and for Industry News.

Editorial board

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ARGESIM SIMULATION BENCHMARKS

'Crane and Embedded Control' – Definition of an ARGESIM Benchmark with Implicit Modelling, Digital Control and Sensor Action

Revised Definition – Comparison 13revised

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The ARGESIM Comparison / Benckmark C13 'Crane and Embedded Control' is based on modeling and controlling a crane crab and addresses digital elements together with implicit continuous model description. The comparison goes back to a formulation as test example for VHDL-AMS and has been defined first as ARGESIM Comparison C13 in SNE 35/36. This redefinition presents an improved observer based digital control with more stable behaviour. The revised tasks ask for comparison of uncontrolled nonlinear and linearised system behaviour, for modeling and simulation of digital control with sensor action, and for simulation of a diagnosis of sensor action.

Introduction

This benchmark originates from a publication of E. Moser and W. Nebel in the Proceedings of the conference DATE'99 [2]. The authors set up a benchmark mainly for testing the VHDL-AMS model description. Therefore, the benchmark comprises digital elements (digital controller, sensor action and diagnosis) as well as a continous model description.

The first definition as ARGESIM Comparison C13 *Crane and Embedded Control* extended this VHDL-AMS benchmark for simulators of any kind. Experiences with solutions sent in showed, that the design of the control is not really adequate, leading to misinterpretations and to a too narrow stability region. Consequently, for this revised definition, the design of the control has been improved significantly. Furthermore, the tasks to be performed with the modelled system and required control are formulated more precisely, so that solutions can be compared better.

1 Definition of Crane Dynamics

The crane consists of a horizontal track, a car moving along this track, and a load that is connected to the car via a cable of length r as shown in Figure 1.
The car is driven by the force f_c, which is exerted by a motor controlled by a digital controller. A disturbance is modelled as the disturbing force f_d, accelerating the load in horizontal direction.
Several sensors provide information about the current state of the system. The actuators for steering the crane are the motor and a brake.

In the following the nonlinear and linearized equations for the system are given. The linear model description originates from [1], where a detailed version can be found. In this comparison also the nonlinear model is to be investigated ([3]). The basic model parameters can be found in Table 1.

Linear Model / linearised model

$$\ddot{x}_c = \frac{f_c}{m_c} + g\frac{m_l}{m_c}\alpha - \frac{d_c}{m_c}\dot{x}_c$$

$$r\ddot{\alpha} = -g(1+\frac{m_l}{m_c})\alpha + (\frac{d_c}{m_c} - \frac{d_l}{m_l})\dot{x}_c - $$

$$-r\frac{d_l}{m_l}\dot{\alpha} - \frac{f_c}{m_c} + \frac{f_d}{m_l}, \quad x_l = x_c + r\alpha$$

Nonlinear model
It is to be noted that the nonlinear model is an implicit one, of type

$$\mathbf{M}(\mathbf{x})\,\ddot{\mathbf{x}} = \mathbf{g}\,(\mathbf{x},\dot{\mathbf{x}})$$

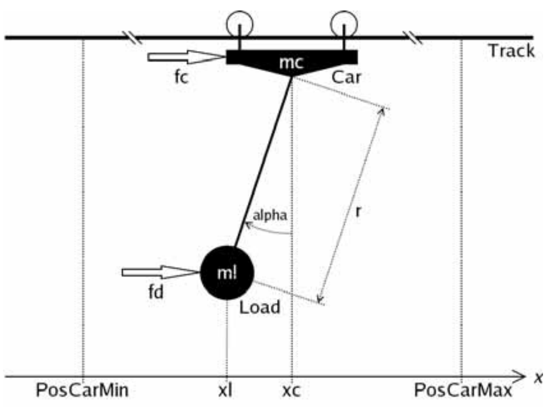

Figure 1: Schematic overview of crane model.

$$\ddot{x}_c = \left[m_c + m_l \sin^2(\alpha)\right] = -d_c\dot{x}_c + f_c + f_d \sin^2(\alpha) + $$
$$+ m_l \sin(\alpha)\left[r\dot{\alpha}^2 + g\cos(\alpha)\right] - d_l\dot{x}_c \sin^2(\alpha)$$

$$r^2\ddot{\alpha}\left[m_c + m_l \sin^2(\alpha)\right] = \left[f_d \frac{m_c}{m_l} - f_c + d_c\dot{x}_c\right] r\cos(\alpha) -$$
$$-\left[g(m_c + m_l) + m_l r\dot{\alpha}^2 \cos(\alpha)\right] r\sin(\alpha) -$$
$$-d_l\left[\frac{m_c}{m_l}(\dot{x}_c r\cos(\alpha) + r^2\dot{\alpha}) + r^2\dot{\alpha}\sin^2(\alpha)\right]$$

$$x_l = x_c + r\sin(\alpha)$$

Depending on the simulation system used, these DAEs may be used directly, or they must be made explicitly by analytical or by numerical means.

Description	*Name*	*Value*
mass of car	m_c	10 kg
mass of load	m_l	100 kg
length of cable	r	5 m
gravity	g	9.81m/s^2
friction coefficient of car	d_c	0.5kg/s
friction coefficient of car with activated brake	d_c^{Brake}	100000 kg/s
friction coefficient of load	d_l	0.01kg/s
maximum position of car	*PosCarMax*	5m
minimum position of car	*PosCarMin*	-5m

Table 1: Basic model parameters.

2 Specification of the Control

The control includes the sensors, actuators, the digital controller and the diagnosis. The variable *PosDesired* is used as input to the controller and controls the position of the car (*PosCar*).

Actuators. The car is driven by a motor which exerts the force f_c on the car. As a model for the motor, including a specific controller for it, a first-order transfer function is used:

$$\dot{f}_c = -4\ (f_c - f_c^{\,Desired})$$

Activation of the brake is given by the following actions:

$$f_c^{\,Desired} := 0, \quad d_c := d_c^{\,Brake}$$

Sensors

Three sensors give information about the status of the system, one measuring position of the car and the other ones informing about reaching limits (Table 2).

Name	*Type*	*Description*
PosCar	Real	reports the position of the car (x_c)
SwPosCarMin	Boolean	true if $x_c < PosCarMin$, else false
SwPosCarMax	Boolean	true if $x_c > PosCarMax$, else false

Table 2: Sensor Variables / parameters.

Definition of the digital controller

The digital controller is implemented as a cycle based controller using a fixed cycle time of 10 ms. A discrete state space observer calculates the 'fictive' states **q** based only on the observation of *PosCar*:

$$\mathbf{q} = (\tilde{f}_c, \tilde{x}_c, \dot{\tilde{x}}_c, \alpha, \dot{\alpha})^T$$

The vector **q** is then fed into a state regulator. In the following the control algorithm is given, where n numbers the controlling cycles (a schematic overview of the controller is given in Figure 2).
The parameters for the controller are $V = 109.5$, $ForceMax = 160$, and $BrakeCondition = 0.01$, the vector and matrix parameters are given in the following:

$$\mathbf{q}_{n+1} := (\mathbf{M} - \mathbf{d}\,\mathbf{c}^T)\mathbf{q}_n + PosCar_n\,\mathbf{d} + f_c^{\,Desired}{}_n\,\mathbf{b}$$
$$u_{n+1} := V\ PosDesired - \mathbf{h}^T\mathbf{q}_{n+1}$$
$$f_c^{\,Desired}{}_{n+1} := \max\{\min\{u_{n+1}, ForceMax\}, -ForceMax\}$$

State matrix **A**, input vectors $\mathbf{b_1}$ and $\mathbf{b_2}$, and output vector **c** are given by the linear model.

$$\mathbf{M} = \begin{pmatrix} 0.96 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0.01 & 0 & 0 \\ 0.001 & 0 & 0.9995 & 0.981 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ -0.0002 & 0 & 0.0001 & -0.2158 & 1 \end{pmatrix}$$

$$\mathbf{c} = \begin{pmatrix} 0 \\ 1 \\ 0 \\ 0 \\ 0 \end{pmatrix}, \mathbf{d} = \begin{pmatrix} 34.5724 \\ 0.2395 \\ 2.0322 \\ 0.0164 \\ -0.1979 \end{pmatrix}, \mathbf{b} = \begin{pmatrix} 0.04 \\ 0 \\ 0 \\ 0 \\ 0 \end{pmatrix}, \mathbf{h} = \begin{pmatrix} 2.9 \\ 109.5 \\ 286.0 \\ 1790.6 \\ 44.5 \end{pmatrix}$$

Diagnosis

The diagnosis runs concurrently to the digital controller. It is used to ensure the car stays within the given limits *PosCarMin* and *PosCarMax*. Therefore a boolean value *EmergencyMode* is introduced, which defaults to *false* and will not be reset once set to *true*.

In parallel, a condition for activating the brake while the car is standing still, is observed:

- if *PosCar* > *PosCarMax* then set
  EmergenceMode = *true*
- if *PosCar* < *PosCarMin* then set
  EmergenceMode = *true*
- if *EmergencyMode* or if for more than 3s
  ((| ($f_c^{Desired}$) | < *BrakeCondition*
  then activate the brake

3 Tasks

First present the general approach, the implementation idea and the simulation system used. Especially, make clear how the implicit nonlinear model was handled, and how the digital controller was implemented. Furthermore it is of interest how the experiments were managed, especially in tasks b and c (features of the simulation environment).

The initial states for all of the following tasks should be zero:

$$x_c = 0, \dot{x}_c = 0, \alpha = 0, \dot{\alpha} = 0$$

A - Task: Nonlinear vs linear model. Implement the model (crane and motor) once using the linear equations for the crane dynamics and once using the nonlinear equations. Give details about the handling of the implicit nonlinear model (transformation to explicit model, or use of algorithms for implicit models indicating the nature of the algorithm).

Compare the linear and nonlinear models without controller and without brake, with following scenario:

- Initial state, $f_d = 0$
- At time $t = 0$: set $f_c^{Desired} = 160$ for 15s, then $f_c^{Desired} = 0$
- At time $t = 4$: set $f_d = Dest$ for 3s, then set $f_d = 0$

Print a table showing the steady-state difference (reached after about 2.000s) in the position of the load (x_l) for three values of *Dest* , *Dest* = -750,-800,-850.

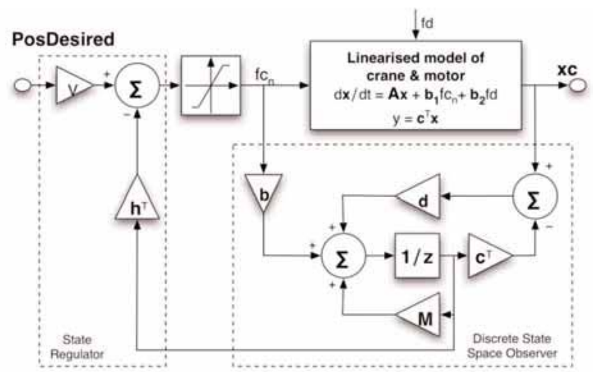

Figure 2: Schematic overview of controller.

B - Task: Controlled system. Implement the controller and brake and use the nonlinear equations for the crane dynamics. Describe how the continuous system and the discrete controller work together and how the brake is implemented.

Simulate the following scenario:

- Initial position, $f_d = 0$
- At time $t = 0$: *PosDesired* = 3
- At time $t = 16$: *PosDesired* = -0.5
- At time $t = 36$: *PosDesired* = 3.8
- At time $t = 42$: $f_d = -200$ for 1s, then $f_d = 0$
- At time $t = 60$: stop simulation

Results should be displayed as graph of position of car (x_c), position of load (x_l), angle α, and the state of the brake over time.

Task c - Controlled system with diagnosis

Add the Diagnosis to the controller. State how the *EmergencyStop* event is handled.

Simulate the following scenario:

- Initial position, $f_d = 0$
- At time $t = 0$: *PosDesired* = 3
- At time $t = 16$: *PosDesired* = -0.5
- At time $t = 36$: *PosDesired* = 3.8
- At time $t = 42$: $f_d = 200$ for 1s, then $f_d = 0$
- At time $t = 60$: stop simulation

Results should be displayed as graph of position of car (x_c), position of load (x_l), angle α, state of the brake and status of *EmergencyStop* over time.

For a solution, please follow the guidelines at the ARGESIM website WWW.ARGESIM.ORG/comparisons for and include your model source code files with the solution you send in.

References

[1] O. Foellinger: *Regelungstechnik*. Huethig, 5. Auflage, 1985
[2] E. Moser, W. Nebel. *Case Study: System Model of Crane and Embedded Controller*. Proc. DATE'99, pages 721-724, 1999.
[3] J. Scheikl, F. Breitenecker, I. Bausch-Gall: Comparison C13 *Crane and Embedded Control – Definition*. SNE 35/36, Dec. 2002; 69 – 71.

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