

# Optical constants of organic insulators in the UV range extracted from reflection electron energy loss spectra

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Reflection electron energy loss spectroscopy (REELS) spectra were measured for seven insulating organic compounds (DNA, Irganox 1010, Kapton, polyethylene [PE], poly(methyl methacrylate) [PMMA], polystyrene [PS] and polytetrafluoroethylene [PTFE]). Optical constants and energy band gaps were extracted from the measured REELS spectra after elimination of multiple electron scattering via a deconvolution and fitting the normalised single scattering energy loss spectra to Drude and Drude–Lindhard model dielectric functions, constrained by the Kramers–Kronig sum and  $f$ -sum rules. Satisfactory agreement is found for those optical constants for which literature data exists. For PTFE, the observed features in the optical data correspond to its electronic structure.

## KEYWORDS

electron inelastic mean free path, insulators, optical constants, organic polymers, reflection electron energy loss spectroscopy

## 1 | INTRODUCTION

Many well-established analytical techniques utilise the interaction of charged particles with matter, for example, electrons, for chemical and structural characterisation of surfaces, such as X-ray photoelectron spectroscopy (XPS),<sup>1</sup> reflection and transmission<sup>2</sup> electron energy loss spectroscopy (REELS and TEELS) and scanning and transmission electron microscopy (SEM and TEM). The evaluation of experimental data acquired with such methods crucially depends on accurate quantitative knowledge of characteristics of electron inelastic scattering or, in other words, electron energy loss process in solids. Such characteristics are the inelastic mean free path (IMFP) and the differential inverse inelastic mean free path (DIIMFP). The DIIMFP describes the distribution of energy losses in an individual inelastic scattering process. The IMFP is the quantity defined as the average distance an electron travels between two successive inelastic collisions measured along

the trajectory. This value is of paramount importance in all surface analysis techniques because it determines the surface sensitivity. Furthermore, for ion beam techniques,<sup>3</sup> the dielectric function forms the basis for the calculation of the electronic contribution to the stopping power, the quantity that relates energy losses to the travelled path length. Knowledge of this quantity is essential for low-energy ion scattering, Rutherford backscattering and related techniques to obtain information about the depth of specific scattering centres.

The inelastic interaction of electrons with matter is often described in terms of the dielectric response theory. The dielectric function  $\epsilon(\omega, q)$  is a fundamental physical property that describes the response of a material to an external perturbation caused by an electromagnetic wave or a charged particle as a function of the transferred energy  $\omega$  and momentum  $q$ . The dielectric function can be measured by probing a sample surface either with photons<sup>4,5</sup> or electrons<sup>2,6</sup> which implies the measurement of absorptions or energy

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inelastically backscattered electrons in the measured energy spectrum will be located at the expected energy. In the case of the elastic peak, this corresponds to the acceleration voltage in the electron gun. This is in contrast to the spectrum of secondary electrons emitted from the target, which only experience the field due to the surface charge on their way out, and hence, the secondary electron spectrum will shift in energy when the surface is charged. The remaining question of relevance for the interpretation of REELS is how the change in the electron–solid interaction will affect the resulting optical constants.

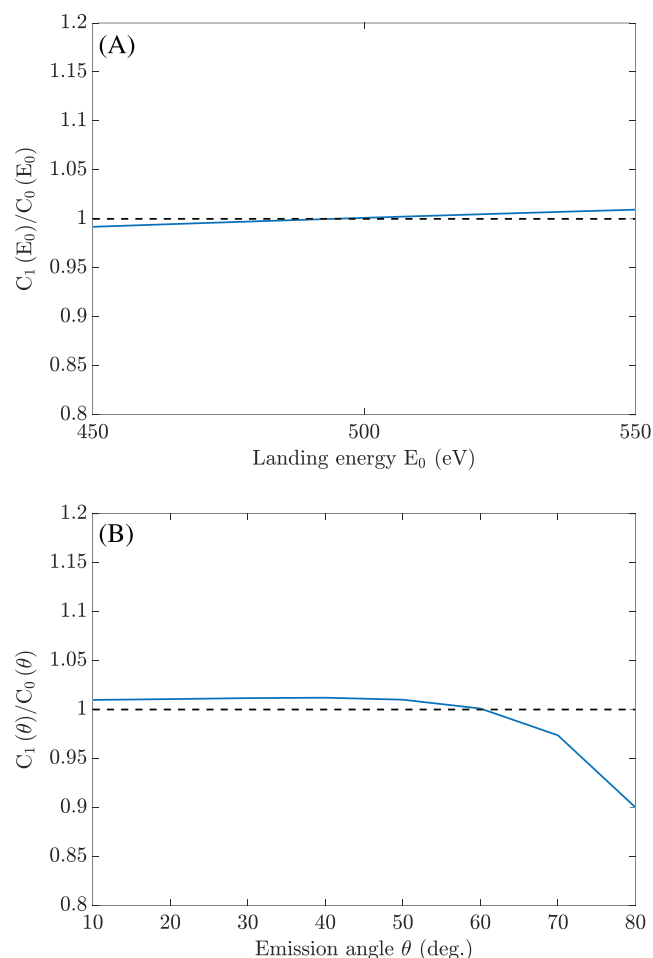
First of all, it is noted that a change in the landing energy due to surface charging does lead to a different absolute value of the inelastic scattering probability, but the normalised DIIMFP, which is the quantity extracted from the raw data, does not depend appreciably on the actual energy of interaction.<sup>14</sup> The only other parameters used in the present analysis are the so-called partial intensities  $\gamma_n$ , that is, the relative number of electrons experiencing a certain number  $n$  of inelastic scatterings, which are needed in the deconvolution of multiple scattering (see Section 3.2). The first-order partial intensity  $\gamma_1$  is of main importance and always attains values close to unity.<sup>7</sup> The procedure used in the present work is of second order implying that only the first two partial

intensities are needed at all, while the result is not much different from a first-order approach. This implies that the only expected influence of charging on the retrieval procedure concerns the first-order partial intensities, which fortunately do not depend critically on the landing energy and the incidence and emission angle, as is shown in Figure 1.

For some of the measured samples, especially for PTFE and PS, charging effects were indeed observed and manifested themselves as strong fluctuations of the overall signal intensity on a time scale of a few seconds, preventing the recording of usable REELS spectra altogether. This effect was mitigated by defocussing the primary electron beam to a spot diameter of about 5 mm and reducing the beam current to a few nA or less, thereby distributing the incident electron dose over a larger area and hence a longer measurement time (up to 30 min) was required. While residual charging effects cannot be entirely excluded, they are unlikely to have an observable influence, as explained above.

The actual value of the surface potential due to charging was determined for the samples for which the strongest charging effects were observed. This was done by measuring the REELS spectrum with a second analyser in our system, which is a time-of-flight (TOF) analyser. The current used in the TOF experiments was set equal to those in the REELS experiments in order to make a meaningful comparison. For PTFE and PS, the peak of secondary electrons in the TOF spectra was clearly shifted along the time scale, indicating that for the employed conditions (energy, current, scattering geometry), the PS surface becomes negatively charged, while the PTFE surface becomes positively charged. The current used in the TOF experiments was set equal to those in the REELS experiments in order to make a meaningful comparison. This follows from a shift of the onset of the secondary electron peak to smaller flight times (negative surface charging, PS) or larger flight times (positive surface charging, PTFE) due to the fact that the vacuum level is shifted by the surface charge. The extent of surface charging can be estimated from the flight time of the onset of the secondary electron spectrum. The expected value of the flight time of  $\approx 0$ -eV electrons on a neutral surface was experimentally confirmed on a noncharging surface of highly oriented pyrolytic graphite, with a known work function of HOPG  $\phi = 4.6$  eV by measuring the spectrum with different bias voltages for the TOF spectrometer. For the conditions used to acquire the presented spectra, the absolute value of the surface potential of PS and PTFE was estimated not to exceed  $\approx 5$  and  $\approx 20$  V, respectively. The above considerations allow us to conclude that the DIIMFP extracted from the present measurements are representative for a neutral surface.

Radiation damage is often a very important issue in electron spectroscopy techniques such as REELS and XPS, especially when organic samples are analysed. Tahir and Tougaard<sup>15</sup> found a significant change in the REELS spectra of PE in consecutive experiments using a focussed electron gun and attributed these to radiation damage. The use of a defocussed electron beam and lower beam currents in this study was also beneficial in reducing radiation damage due to the low flux density of incident electrons in comparison with typical REELS experiments with a focussed beams and relatively short acquisition times. Significant differences between individual scans as demonstrated by Tahir and Tougaard<sup>15</sup> were not observed. XPS measurements were performed before and after the REELS experiments, and no significant changes in



**FIGURE 1** The first-order reduced partial intensities of PTFE calculated for (A) different landing energies and for incident and emission angles of  $\theta_i = 60^\circ$ ,  $\theta_o = 60^\circ$  and (B) for different emission angles and for  $\theta_i = 60^\circ$ , and  $E_0 = 500$  eV

the sample stoichiometries were found. It should be noted that XPS is not sensitive to any changes in the hydrogen content.

### 3 | DATA ANALYSIS

#### 3.1 | Model dielectric functions and interaction characteristics

The dielectric function  $\epsilon(\omega, q)$  is a crucial quantity describing the interaction of charged particles with matter:

$$\epsilon(\omega, q) = \epsilon_1(\omega, q) + i\epsilon_2(\omega, q),$$

where  $\epsilon_1(\omega, q)$  and  $\epsilon_2(\omega, q)$  are the real (dispersive) and the imaginary (absorptive) part of the dielectric function, respectively. The energy lost by an electron during an inelastic scattering is denoted by  $\omega$ , and  $q$  is the momentum transfer in the collision.

Different approaches are available to model the dielectric function based on a set of bound electrons as oscillators with amplitudes or oscillator strengths  $A_i$ , binding energies  $\omega_i$  and damping parameters  $\Gamma_i$ . One of the simplest and widely used models is the extended Drude model:<sup>16</sup>

$$\begin{aligned} \epsilon_1 &= \epsilon_b - \sum_i \frac{A_i (\omega^2 - \omega_i(q)^2)}{(\omega^2 - \omega_i(q)^2)^2 + \Gamma_i^2 \omega^2}, \\ \epsilon_2 &= \sum_i \frac{A_i \Gamma_i \omega}{(\omega^2 - \omega_i(q)^2)^2 + \Gamma_i^2 \omega^2}, \end{aligned} \quad (2)$$

with  $\epsilon_b$  being the background dielectric constant due to the polarizability of the core electrons.<sup>16</sup> Note that in Equation (2) and below, atomic units are used ( $\hbar = e = m_e = 1$ ). Another widely used approach is the Drude-Lindhard model that is based on the Drude model with the  $q$ -dependence included by Lindhard<sup>17</sup> and consists of expanding the ELF, rather than the dielectric function in a series of oscillators:

$$\text{Im} \left[ \frac{-1}{\epsilon(\omega, q)} \right] = \sum_i C_i \frac{\omega \Gamma_i \omega_i(q=0)^2}{(\omega^2 - \omega_i(q)^2)^2 + \Gamma_i^2 \omega^2}, \quad (3a)$$

$$\text{Re} \left[ \frac{1}{\epsilon(\omega, q)} \right] = 1 + \sum_i C_i \frac{(\omega^2 - \omega_i(q)^2) \omega_i(q=0)^2}{(\omega^2 - \omega_i(q)^2)^2 + \Gamma_i^2 \omega^2}, \quad (3b)$$

where  $C_i$  is the dimensionless oscillator strength.

Finally, the dispersion of the oscillator resonance energies needs to be taken into account. This is generally done by considering a quadratic dispersion relationship, which in atomic units reads:

$$\omega_i(q) = \omega_i(q=0) + \alpha q^2 / 2, \quad (4)$$

and making an appropriate choice for the dispersion constant  $\alpha$ . It has become customary in Werner et al<sup>7</sup> to use values close to unity for

metals and conductors, while for insulators dispersion is usually assumed to be negligible ( $\alpha = 0$ ). This approach has also been adopted in the present work.

A test of the consistency of optical data is provided by checking the sum rules. The data in the present work were subjected to the following sum rule checks: the  $f$ -sum rule and the KK-sum rule evaluated at  $\omega = 0$  and  $q = 0$ . The  $f$ -sum rule or Thomas-Reiche-Kuhn sum rule is given by<sup>7</sup>

$$f\text{-sum} = \frac{1}{2\pi^2 n_a} \int_0^{\omega_{\max}} \omega \text{Im} \left[ \frac{-1}{\epsilon(\omega, q=0)} \right] d\omega, \quad (5)$$

which at  $\omega_{\max} \rightarrow \infty$  must approach the average atomic number,  $Z_{\text{av}}$ . The quantity  $n_a$  in Equation (5) is the atomic density. In the actual polymer materials different atoms are present. As far as the sum rules are concerned, we assume that each atom is identical and has  $n_v = Z_{\text{av}} \cdot n_a$  electrons (therefore,  $n_v$  is the valence electron density).

The KK-sum rule is given by<sup>2</sup>

$$1 - \text{Re} \left[ \frac{1}{\epsilon(\omega=0, q=0)} \right] = \frac{2}{\pi} \int_0^{\omega_{\max}} \frac{1}{\omega} \text{Im} \left[ \frac{-1}{\epsilon(\omega, q=0)} \right] d\omega, \quad (6)$$

where  $n(\omega=0)$  is the static refractive index. Therefore, the KK-sum can be expressed as follows:

$$\text{KK-sum} = \frac{2}{\pi} \int_0^{\omega_{\max}} \frac{1}{\omega} \text{Im} \left[ \frac{-1}{\epsilon(\omega, q=0)} \right] d\omega + \frac{1}{n(\omega=0)^2}, \quad (7)$$

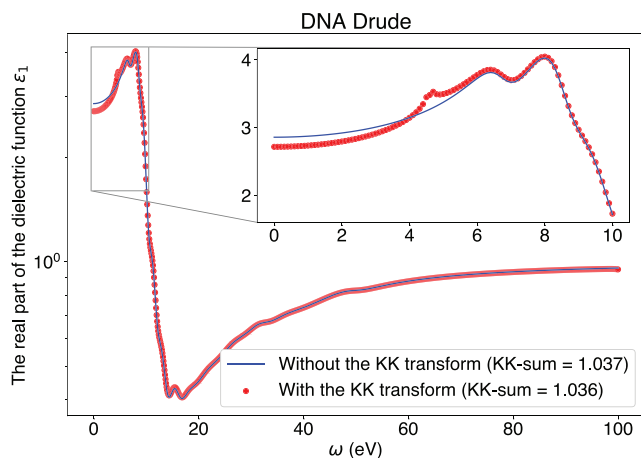
which at  $\omega_{\max} \rightarrow \infty$  must approach 1.

The model dielectric functions introduced above describe free-electron materials but not insulators. Following the customary approach employed by other authors,<sup>15</sup> here and below, we employ the simplest way to model the band gap occurring in the insulator electronic structure by multiplying the ELFs with a step function  $\theta(\omega - E_g)$  at the energy loss  $E_g$  corresponding to the band gap, where the function  $\theta(\omega)$  is the Heaviside step function, and hence zeroing  $\text{Im}[-1/\epsilon]$  in the band gap. Because  $\epsilon_1$  and  $\epsilon_2$ , as well as the refractive index  $n$  and the extinction coefficient  $k$ , are related in a quite fundamental way by means of the Kramers-Kronig dispersion relations, after the zeroing procedure  $\text{Re}[1/\epsilon]$  has then to be recovered from  $\text{Im}[1/\epsilon]$  via<sup>18,19</sup>

$$\epsilon_1(\omega, q=0) - 1 = \frac{2}{\pi} \text{P} \int_0^{\omega_{\max}} \frac{\omega' \epsilon_2(\omega', q=0)}{(\omega')^2 - \omega^2} d\omega', \quad (8)$$

$$\text{Re} \left[ \frac{1}{\epsilon(\omega, q=0)} \right] - 1 = \frac{2}{\pi} \text{P} \int_0^{\omega_{\max}} \text{Im} \left[ \frac{1}{\epsilon(\omega', q=0)} \right] \frac{\omega' d\omega'}{(\omega')^2 - \omega^2}. \quad (9)$$

Figure 2 illustrates the difference in the real part of the dielectric function  $\epsilon_1$  of DNA (within the Drude model) calculated with and without the Kramers-Kronig transform after zeroing the ELF in the band gap demonstrating insufficient difference between the results of the KK-sum evaluation using Equation (7) with and without doing the Kramers-Kronig transform. Similar results were obtained for all the



**FIGURE 2** The real part of the dielectric function  $\epsilon_1$  calculated with and without the Kramers–Kronig transform after the zeroing the ELF in the band gap

materials investigated in this work providing the evidence that the use of the Kramers–Kronig transform is unnecessary in this particular case.

The probability of an electron with a primary energy  $E_0$  to lose energy  $\omega$  in an individual inelastic scattering event inside the bulk of a solid (subscript  $b$ ) is described by the bulk DIIMFP  $W_b(\omega, E_0)$  and is related to the dielectric function  $\epsilon(\omega, q)$  as follows:

$$W_b(\omega, E_0) = \frac{1}{\pi E_0} \int_{q_-}^{q_+} \text{Im} \left[ \frac{-1}{\epsilon(\omega, q)} \right] \frac{dq}{q}. \quad (10)$$

The limits of integration over the momentum transfer  $q$  depend on the incident energy  $E_0$  and the energy loss  $\omega$  and are a consequence of energy and momentum conservation:

$$q_{\pm} = \sqrt{2E_0 \pm \sqrt{2(E_0 - \omega)}}. \quad (11)$$

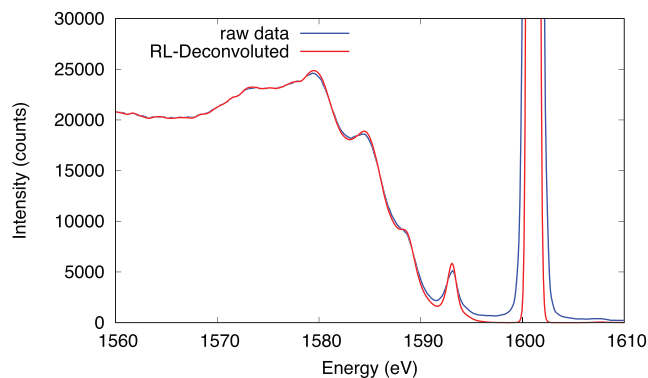
If dispersion can be neglected ( $\alpha = 0$ ), the integral in Equation (10) can be solved analytically as follows:

$$W_b(\omega, E_0) = \frac{1}{\pi E_0} \text{Im} \left[ \frac{-1}{\epsilon(\omega, q=0)} \right] \ln \left( \frac{q_+}{q_-} \right). \quad (12)$$

The quantity extracted from the REELS spectra is the *normalised* bulk DIIMFP  $w_b(\omega)$ :

$$w_b(\omega) = \frac{W_b(\omega, E_0)}{E_0 \int_0^{E_0} W_b(\omega, E_0) d\omega}. \quad (13)$$

In the medium electron energy range (100–10,000 eV), this quantity is independent of the energy to a good approximation<sup>14</sup> and is used to retrieve values of the oscillator parameters by finding the set of parameters which minimises the difference between the theoretical and experimental normalised DIIMFP. The proper absolute values of



**FIGURE 3** Illustration of the Richardson–Lucy deconvolution for the 1600-eV spectrum of PTFE. Blue curve: raw data; red curve: after deconvolution. The full width at half maximum of the elastic peak decreases from 0.43 to 0.34 eV after deconvolution (see text)

the resulting optical constants are obtained by constraining the parameters during the fit with sum rules, as explained below.

### 3.2 | Extraction of the normalised DIIMFP from REELS spectra

The present method to obtain the normalised DIIMFP from a pair of experimental REELS described in Werner<sup>8</sup> is based on two main assumptions: (1) The electron reflection process can be described by a Boltzmann-type kinetic equation; and (2) the normalised DIIMFP, that is, the *shape* of the loss distribution, is independent of the energy of interaction. The former requirement is always fulfilled for non-crystalline surfaces, while the latter is true for energies in excess of a few hundred eV.<sup>14</sup> This can be seen from Equation (10) upon realising that the shape of the DIIMFP is only affected by the volume of phase space covered by the limits of momentum transfer  $q_{\pm}$  for any given energy. For energies above a few hundred eV, the effect is negligible.<sup>14</sup>

Each measured REELS spectrum  $Y(\omega)$  was first processed by a Richardson–Lucy deconvolution<sup>9</sup> in order to reduce instrumental broadening effects, as shown in Figure 3. Subsequently, the elastic peak was fitted with a Gaussian function and subtracted from the spectrum which is then divided by the elastic-peak intensity and the experimental energy spacing to yield the energy loss spectrum  $\gamma(\omega)$  in absolute units of reciprocal eV. The resulting spectrum is the superposition of multiple orders of surface and bulk scattering which need to be deconvoluted to obtain the normalised DIIMFP, that is, the single bulk-scattering energy loss distribution  $w_b$ .

Generally, a REELS spectrum contains contributions both from inelastic scattering occurring deep inside the material (described by the DIIMFP,  $W_b$ ) and a contribution of surface energy losses experienced when an electron crosses the vacuum–solid interface, which is described by the so-called differential surface excitation probability (DSEP), designated by  $W_s$  in the following (see previous studies<sup>7,8,14</sup> for a detailed discussion of the meaning of these

quantities). These contributions need to be unravelled to yield the bulk DIIMFP, which is used here to extract the optical constants. This is done by subjecting both spectra of the pair,  $y_{1,2}(\omega)$  to the Tougaard–Chorkendorff algorithm<sup>20</sup> in a first step, yielding the intermediate spectra  $y_{1,2}^*(\omega)$ . The normalised energy loss distribution is then obtained from<sup>8</sup>

$$w(\omega) = u_{10}y_{1,2}^*(\omega) + u_{01}y_{2,1}^*(\omega) + u_{11}y_{1,1}^*(\omega) \otimes y_{2,2}^*(\omega), \quad (14)$$

where the symbol  $\otimes$  denotes a convolution over the energy and the quantity  $w$  represents either the normalised bulk DIIMFP ( $w_b(\omega)$ ) or the DSEP ( $w_s(\omega)$ ) depending on whether the employed coefficients  $u_{ij}$  are for bulk and surface scattering as given in Werner.<sup>8</sup> The coefficients  $u_{ij}$  are functions of the reduced partial intensities for the spectrum pair, that is, the relative number of electrons experiencing a certain number of volume losses. These quantities depend on the interaction energy and the scattering geometry and were calculated for both spectra of each material using a Monte Carlo (MC) simulation.<sup>21,22</sup> The method described above yields the normalised DIIMFP for bulk scattering,  $w_b(\omega)$ , in absolute units of reciprocal eV even if the REELS spectra are only measured over a finite energy range.<sup>7,8</sup>

Various alternative approaches have been proposed in the literature to derive the normalised DIIMFP from REELS spectra. Tahir and Tougaard<sup>15</sup> applied the Tougaard–Chorkendorff algorithm<sup>20</sup> to obtain DIIMFPs of some organic samples including PMMA and PE. The ‘effective’ cross section resulting from the Tougaard–Chorkendorff algorithm meanwhile is in fact known to be not a cross section<sup>8</sup> but rather a weighted superposition of the bulk and surface single scattering loss distribution and a negative mixed term. It is not clear how or whether at all the software of Tahir and Tougaard is taking this into account. Afanas'ev et al.<sup>23,24</sup> proposed another approach of deriving the normalised DIIMFP aimed to fit entire REELS spectra instead of using any deconvolution procedure. This method implies that in each fitting step, the normalised DIIMFP and also the normalised DSEP are refined by varying parameters needed for their calculations until the experimental spectrum is reproduced with sufficient accuracy. Such an approach is quite similar to the one used by Vos and Grande<sup>19</sup> and has the advantage of only requiring a single spectrum instead of a pair of spectra. The approach used by Afanas'ev et al. does not allow to obtain optical constants and the ELF whereas this is possible in the case of the method used by Vos and Grande. Owing to the fact that entire spectra are fitted in all the above works, without distinguishing surface and bulk losses, generally makes it more difficult to judge the uniqueness of the obtained solution.

### 3.3 | Fitting algorithm

The modelled normalised DIIMFP as a function of the oscillator parameters ( $A_i/C_i, \omega_i, \Gamma_i$ ) is optimised using the nonlinear optimisation library NLOpt.<sup>25</sup> The normalised DIIMFP is derived by means of the fitting procedure on the basis of least squares minimisation:

$$\chi^2 = \int_0^{\omega_{max}} [w_b(\omega) - w_b^{exp}(\omega)]^2 d\omega, \quad (15)$$

by means of the following steps:

1. Set initial oscillator parameters  $A_i/C_i, \omega_i, \Gamma_i$  for the model ELF based on the Drude or Drude–Lindhard dielectric function.
2. Calculate the model ELF using the oscillator parameters  $A_i/C_i, \Gamma_i$ , and  $\omega_i$  (Equations 2 and 3).
3. Calculate the DIIMFP  $W_b(\omega, E_0)$  employing Equation (10) and normalise it (Equation 13).
4. Compare the obtained normalised DIIMFP  $w_b(\omega)$  with the one extracted from experimental data  $w_b^{exp}(\omega)$ . Those oscillator parameters that give the minimum value of  $\chi^2$  in Equation (15) are considered to be the realistic ones.

Utilising the aforementioned sum rule relations (Equations 5 and 7) allows one to obtain absolute values of the retrieved optical constants. One way of implementing such a scaling procedure is described in Vos and Grande,<sup>19</sup> where at each step of the fitting algorithm, the oscillator parameters are rescaled accordingly depending on the model dielectric function employed. For example, in the case of the Drude model, the amplitudes  $A_i$  relate to the density of the valence electrons  $n_v$  through the plasmon frequency as  $\omega_p^2 = \sum_i A_i = 4\pi n_v$ . This relation therefore can be employed as a fit constraint. In the present work, such relations are implemented to the optimisation procedure by invoking nonlinear inequality constraints making sure that the parameters retrieved by the fitting procedure fulfil the  $f$ -sum rule.

The nonlinear inequality constraints are formulated according to Vos and Grande<sup>19</sup> as follows:

- in the case of the Drude model:

$$\left| \frac{4\pi n_v}{\sum_i A_i} - 1 \right| \approx 0, \quad (16)$$

- in the case of the Drude–Lindhard model:

$$\left| \frac{\sum_i \frac{1}{2} C_i \omega_i^2}{2\pi^2 n_v} - 1 \right| \approx 0. \quad (17)$$

In order to obtain meaningful optical constants during the fitting procedure, knowledge of the material-specific valence electron density  $n_v$  is required because it serves as a main property to constrain the absolute values of the oscillator amplitudes. However, the value of  $n_v$  may be unavailable for some materials whereas in most of cases, the value of the atomic density  $n_a$  is known. In the present work, in order to estimate  $n_v$  the inner-shell ionisation data from Henke<sup>5</sup> available for energies above 100 eV and up to 30 keV were utilised. First, one must ensure that all inner-shell binding energies for an



investigated material are above 100 eV meaning that below 100 eV, only valence electrons can be excited. If this is the case, then the valence electron density  $n_v$  can be evaluated by subtracting from the total electron density  $n_e = Zn_a$  the electron density  $n_{\text{ion}}$  related to the inner shells only which can be obtained via the Bethe sum rule as follows:

$$n_{\text{ion}} = \frac{1}{2\pi^2} \int_{\omega_{\text{min}}}^{\omega_{\text{max}}} \omega \text{Im} \left[ \frac{-1}{\epsilon_{\text{Henke}}(\omega, q=0)} \right] d\omega, \quad (18)$$

where  $\omega_{\text{min}} = 100$  eV and  $\omega_{\text{max}} = 30,000$  eV. The valence electron density is then given by

$$n_v = n_e - n_{\text{ion}}. \quad (19)$$

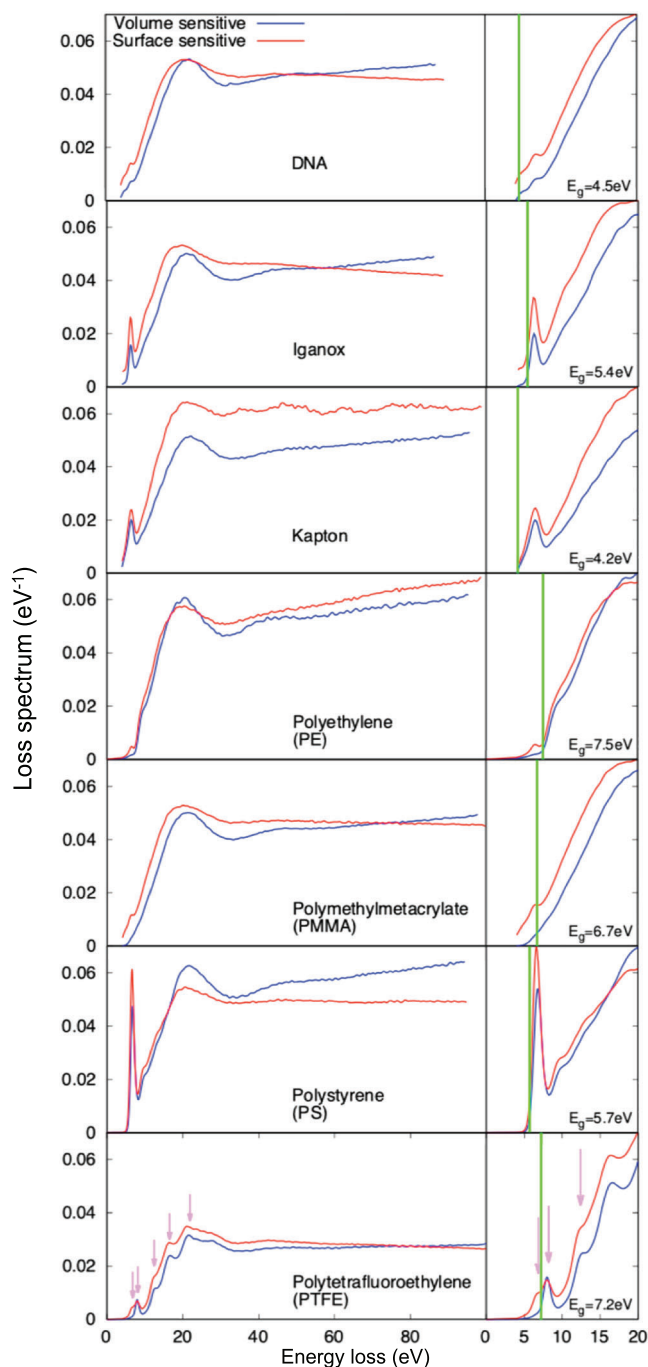
The resulting values of  $n_v$  are summarised in Table 3.

## 4 | RESULTS AND DISCUSSION

Normalised loss spectra obtained as described in the above sections are presented in absolute units of  $\text{eV}^{-1}$  in Figure 4. Blue curves correspond to more volume-sensitive experimental conditions while red curves are for more surface-sensitive conditions (see Section 2). The panels on the right show the low-loss region where the lowest loss in the bulk DIIMFP (see Figure 5) is highlighted by the green line and corresponds to the HOMO-LUMO distance or band gap energy,  $E_g$ .

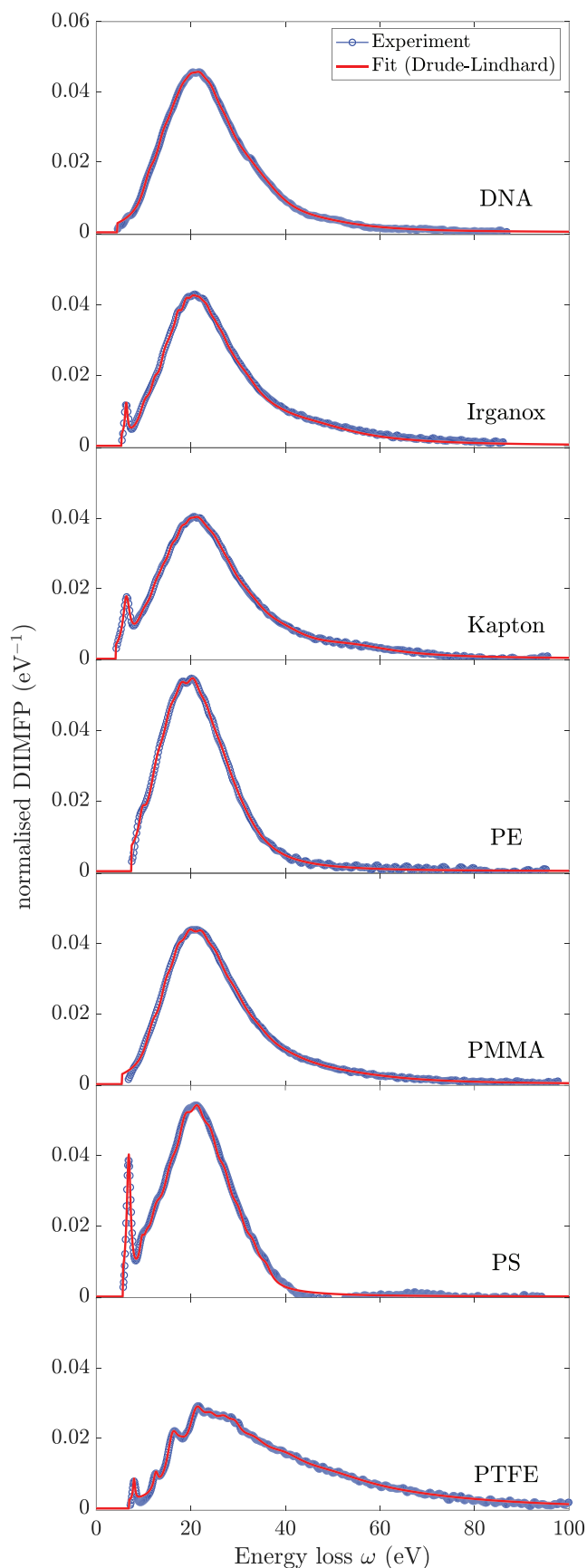
Two types of differences are seen between the surface- and volume-sensitive loss spectra: (1) At energy losses in the multiple scattering region (energy losses greater or approximately 20 eV), the local minimum in loss spectra at around 30 eV is slightly shallower in the surface-sensitive spectra; and (2) the structure and the intensity of the spectra near the lowest loss indicated by the green line differs for the bulk- and surface-sensitive spectra. The former effect is due to the difference in the effect of multiple scattering on the loss spectra: The loss spectrum is made up of a superposition of multiple self-convolutions of the bulk and surface DIIMFP as well as multiple cross-convolutions between surface and volume single scattering distributions. The peaks in the single scattering loss distributions due to volume (see, e.g., Figure 5) and surface (not shown) scattering are located at about  $\hbar\omega_{\text{bulk}} \sim 20\text{--}25$  eV and  $\hbar\omega_{\text{surf}} \sim 10\text{--}15$  eV, respectively. Therefore, the contribution to the spectrum of the group of electrons which have experienced one surface and one bulk loss has a (rather broad) peak around  $\sim 35$  eV. This peak is obviously more pronounced in the surface-sensitive data, leading to a smoother contribution of multiple scattering in the spectra.

The other main difference between the surface and bulk data is the increase in intensity of structures near the lowest loss for the surface-sensitive data. In fact, for some cases, such as PE and PTFE, structures appear in the HOMO-LUMO gap for the surface-sensitive data which are absent or hardly discernible for the bulk-sensitive data. The appearance of such structures are attributed to radiation-induced changes, as was discussed earlier for  $\text{SiO}_2$ .<sup>27</sup> On the basis of the



**FIGURE 4** Normalised loss spectra of the investigated organic samples in absolute units of  $\text{eV}^{-1}$ . The measurements using surface-sensitive conditions are given by the red curves, and blue curves correspond to bulk-sensitive conditions. The insets display the low-loss region and the determined lowest loss observed in the bulk DIIMFPs (see text), corresponding to the HOMO-LUMO distance of the studied materials. The numerical values of the band gap energy are given in Table 2. The arrows in the panel for PTFE correspond to the energies of interband transitions observed in Wang et al.<sup>26</sup>

difference between the surface and bulk data, these changes in the electronic structure are believed to be localised at the very surface. Therefore, the bulk DIIMFP extracted from the pair of spectra is taken to be representative for the bulk material in the following.



**FIGURE 5** Fit of the normalised DIIMFP data extracted from the measured REELS spectra to a Drude-Lindhard model

All spectra share a broad and intense main feature with a maximum at roughly 20 eV, which is attributed to plasmon excitation. The spectra of Irganox, Kapton and PS exhibit sharp features with energy losses between 6 and 7 eV. These represent energy losses due to the excitation of  $\pi$ - $\pi^*$  transitions, commonly referred to as  $\pi$ -plasmons. This is expected in materials with aromatic rings or more generally for  $sp^2$ -hybridised orbitals as in graphite.<sup>28</sup> In the spectra of DNA, PE, PMMA and PTFE, additional features are observed between 4.5 and 8 eV. In the cases of DNA ( $\approx 4.5$  eV) and PTFE ( $\approx 6.5$  to 8 eV), these features are also observed in optical absorption spectra<sup>26,29,30</sup> and correspond to near-HOMO-LUMO electronic transitions.

The spectra of most samples are very similar both in shape and intensity. The exception is PTFE which shows additional sharp features overlapping the low-energy shoulder of the plasmon structure. The plasmon loss seems to be significantly broader than in the other compounds. This explains the overall low intensity of the PTFE spectra in the multiple scattering region compared with the other materials. Assuming that the integral inelastic scattering intensity is similar for all materials, a broader single scattering loss distribution automatically implies a lower intensity of the loss spectrum relative to the elastic-peak intensity. Because all data shown in Figure 4 were normalised with the elastic-peak intensity, the low intensity in the energy loss spectrum is therefore consistent with the larger width of the single scattering loss distribution (see also Figure 5).

The structures on the low-loss side of the spectrum of PTFE have been subject of a detailed investigation by Wang et al<sup>26</sup> who compared experimental low-loss and carbon K-shell core-loss spectra with results of density functional theory (DFT) calculations for different conformations of the PTFE polymer. The experimental values of the features observed by these authors (for both the low-loss and core-loss spectra) are in good agreement with electronic interband transitions following from their DFT calculations and are indicated by the arrows in the lower panel of Figure 4. Excellent agreement with the features in the present spectra can be observed. The bulk-sensitive spectrum in Figure 4 corresponds to the so-called H-157 phase consisting of helical chains, containing 15  $CF_2$  components in seven turns. The surface-sensitive spectrum in our data has an additional peak that according to the calculations in Wang et al<sup>26</sup> corresponds to an interband transition for the disordered helix-reversal defect conformation of PTFE. This supports our interpretation of the features in the surface-sensitive spectra within the HOMO-LUMO gap as being caused by radiation-induced defects and justifies the assignment of the optical data extracted from the normalised bulk DIIMFP as being representative for (defect-free) bulk materials.

The HOMO-LUMO distance was determined on the basis of the volume DIIMFP extracted from the data (see below) by identifying the structure with the lowest energy and fitting a straight line to the region between 10% and 90% of the maximum intensity in the lowest energy feature. The HOMO-LUMO distance, or band gap energy,  $E_g$ , was determined from the intersection of the resulting straight line with the energy loss axis. The error in the value of the band gap resulting from this procedure is of the order of 1 eV. The resulting values are compared in Table 2 with data



from the literature. There is a reasonable correlation between the present values and those found in the literature, the latter generally being slightly smaller. This is consistent with the fact that the present results pertain to the bulk electronic structure, as surface energy losses were deconvoluted from the raw data. Radiation induced defects in the near surface region are believed to be eliminated by our deconvolution algorithm employed to separate surface and bulk scattering.

The HOMO–LUMO distance was determined on the basis of the volume DIIMFP extracted from the data by identifying the structure with the lowest energy and fitting. The spectrum pairs shown in Figure 4 measured under bulk- and surface-sensitive conditions were subjected to the deconvolution procedure described in Section 3.2 to yield the normalised DIIMFP. This quantity was fitted to the model dielectric functions using the fitting algorithm described in Section 3.3. The resulting fits are shown in Figure 5. The oscillator parameters for the model dielectric functions are given in Tables A1–A7. Values of the material parameters used in the fitting algorithm and for evaluation of the  $f$ -sum and the KK-sum rule tests according to Equations (5) and (7) are presented in Table 3.

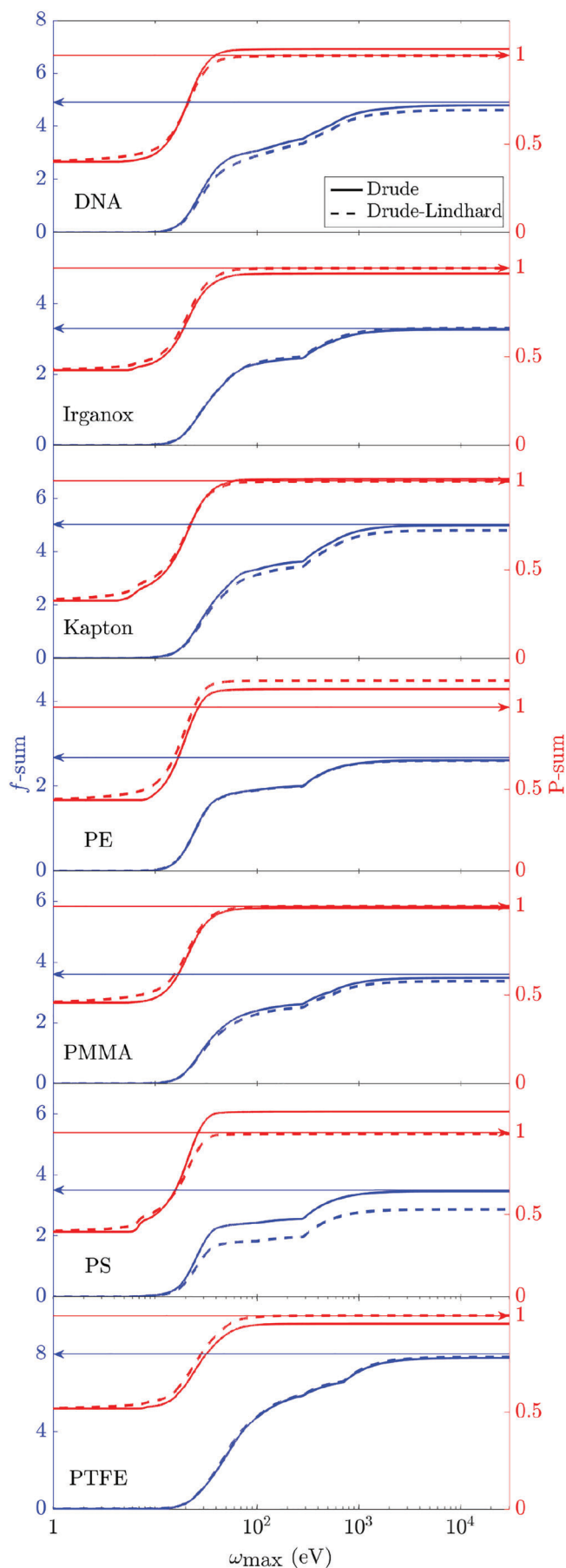
The experimentally derived DIIMFPs of all materials, shown in Figure 5, are quite similar except for PTFE, the only difference being

**TABLE 2** Values of the band gap energy,  $E_g$ , or HOMO–LUMO distance determined from the present measurements (left column) compared with values found in the literature (right column)

Material	$E_g$ (eV)	$E_{g, lit}$ (eV)
DNA	4.5	4.8 <sup>31</sup>
Irganox	5.4	–
Kapton	4.2	2.32 <sup>32</sup>
PE	7.5	6.9, <sup>33</sup> 8.8, <sup>34</sup> 7.5, <sup>15</sup> 8.0 <sup>35</sup>
PMMA	6.7	4.2, <sup>36</sup> 5.0, <sup>15</sup> 5.0 <sup>37</sup>
PS	5.7	4.4 <sup>33</sup>
PTFE	7.2	7.7, <sup>38</sup> 6.9–8.2 <sup>26</sup>

**TABLE 3** Physical quantities used in this study: average atomic number  $Z_{av}$ , mass densities  $\rho$ , atomic densities  $n_a$ , valence electron densities  $n_v$ , and static refractive indexes  $n(0)$  are given for all studied materials

	$Z_{av}$	$\rho$ (g/cm <sup>3</sup> )	$n_a$ (Å <sup>-3</sup> )	$n_v$ (Å <sup>-3</sup> )	$n(0)$
DNA	4.85	1.4 <sup>39</sup>	0.09	0.282	1.58 <sup>29</sup>
Irganox	3.32	1.077 <sup>40</sup>	0.106	0.25	1.535 <sup>40</sup>
Kapton	5.0	1.42 <sup>41</sup>	0.087	0.29	1.85 <sup>42</sup>
PE	2.66	0.94 <sup>41</sup>	0.12	0.238	1.52 <sup>43</sup>
PMMA	3.6	1.19 <sup>41</sup>	0.106	0.267	1.48 <sup>44</sup>
PS	3.5	1.06 <sup>41</sup>	0.098	0.24	1.58 <sup>44</sup>
PTFE	8.0	2.2 <sup>41</sup>	0.079	0.387	1.3 <sup>45</sup>

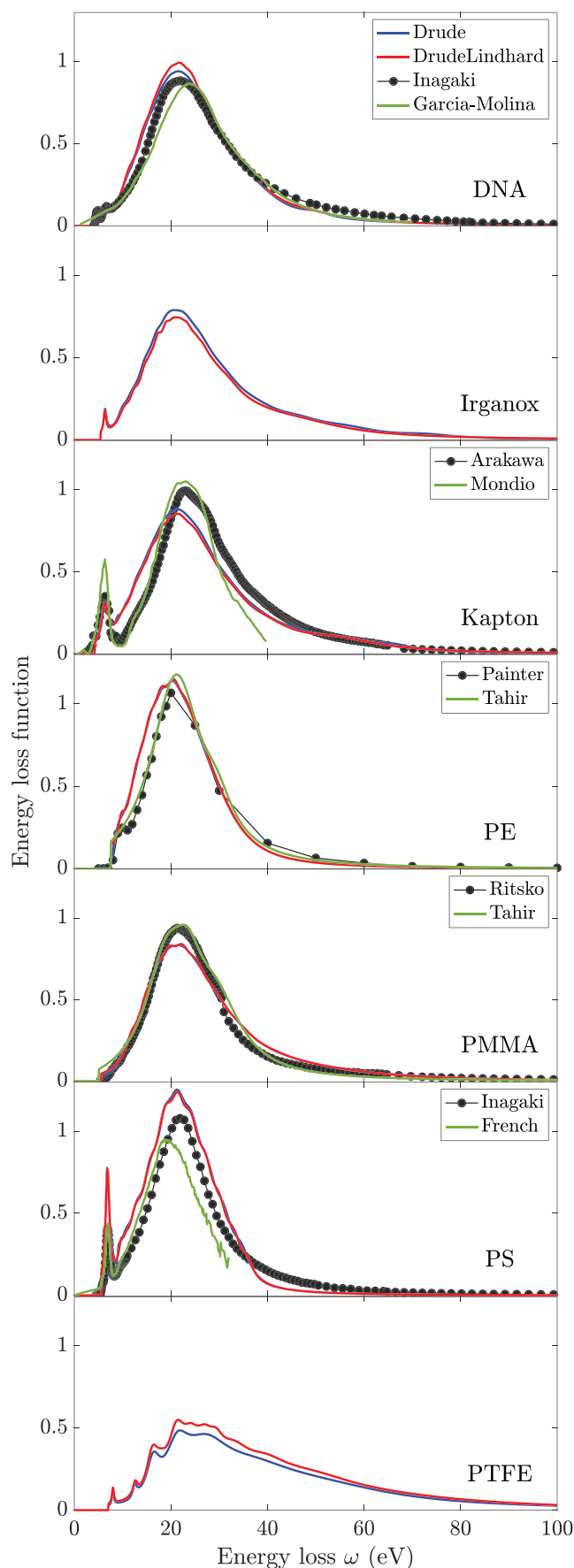


**FIGURE 6** The  $f$ -sum (blue) and KK-sum (red) values as a function of  $\omega_{\max}$ . The solid arrows indicate the limiting theoretical values for the sum rule results

the occurrence and intensity of  $\pi$ -plasmon peaks and the slightly sharper  $(\pi + \sigma)$ -plasmon in PE and PS. The DIIMFP of PTFE deviates strongly from other materials having a much lower intensity in the energy loss region up to 40 eV and a broader tail beyond that. The Drude–Lindhard model dielectric function (with an artificially introduced band gap) is seen to reasonably fit our experimental data over the entire energy range in the UV regime. The quality of the fit using the Drude parametrisation of optical constants (not shown) is very similar, essentially yielding identical optical constants. The number of oscillators required to obtain a good fit is generally different for the two types of model dielectric functions, as seen in Tables A1–A7. It should be noted that the fit parameters in conjunction with the model dielectric functions provide a means to numerically reproduce our experimentally retrieved ELF, but are generally void of a physical meaning.

The  $f$ -sum and the KK-sum rules introduced in Equations (5) and (7) were used to constrain the fit of the data to the model ELF. Figure 6 shows the final results of  $f$ -sum and the KK-sum rule tests as a function of  $\omega_{\max}$ . The maximum  $f$ -sum values are seen to be slightly below the expected values of the average atomic number  $Z_{\text{av}}$  for PE and PTFE whereas for other materials, the  $f$ -sum values are in a good agreement with  $Z_{\text{av}}$ . The KK-sum values are more than 10% higher than the expected theoretical value of unity for DNA, PE, PS and PTFE, while for others, this value is reasonably reproduced.

Figure 7 shows comparisons between the Drude and Drude–Lindhard ELFs extracted from the normalised DIIMFP fits in the present study (solid curves) and the ELFs found in previous studies<sup>29,37,42,46,47</sup> (black circles) as well as results by Tahir and Tougaard,<sup>15</sup> given by the green curves. Some of these data<sup>15,48</sup> were obtained by a similar technique as in the present work, while the data in previous studies<sup>29,42,46,47</sup> were determined from XUV absorption data and electron energy loss measurements in the transmission electron microscope (TEM-EELS).<sup>37</sup> These literature data obtained from optical techniques and the TEM intrinsically correspond to optical constants for vanishing values of the momentum transfer ( $q = 0$ ). The present results were extracted from REELS measurements representing an average over all values of the momentum transfer while assuming that the loss features do not disperse, by choosing the value of the dispersion coefficient  $\alpha = 0$  in Equation (4) in the fitting procedure. The resulting ELFs shown in Figure 7 agree reasonably well in shape on an absolute scale with optical constants published earlier. The results of Tahir and Tougaard were obtained by using the dispersion coefficient  $\alpha$  as an adjustable parameter, which was found to be small ( $\alpha = 0.05$ ). The agreement between the present optical constants and the existing literature data confirms the validity of the selected approach.



**FIGURE 7** Legend on next page.

**FIGURE 7** Comparison between the dimensionless energy loss functions (ELFs) extracted from the DIIMFP fits and experimental data found in the literature: DNA from Inagaki et al.<sup>29</sup> and Garcia-Molina et al.,<sup>49</sup> Kapton from Arakawa et al.<sup>42</sup> and Mondio et al.,<sup>48</sup> PE from Painter et al.,<sup>47</sup> PMMA from Ritsko et al.<sup>37</sup> and PS from Inagaki et al.<sup>46</sup> and French et al.<sup>50</sup> For PE and PMMA, the ELFs calculated using oscillator parameters from Tahir and Tougaard<sup>15</sup> are also shown

## 5 | SUMMARY AND CONCLUSIONS

Normalised DIIMFPs for volume inelastic scattering were extracted in absolute units from measured REELS spectra of seven different organic insulators after deconvoluting the surface scattering contributions. The band gap energies obtained from the volume scattering data are in reasonable agreement with data found in the literature, being generally slightly larger. The normalised DIIMFPs were fitted with sets of oscillator parameters using the Drude and Drude-Lindhard model dielectric functions,<sup>19</sup> constrained by the  $f$ -sum and the KK-sum rules to obtain optical constants on an absolute scale. ELFs calculated on the basis of the present optical constants were compared with various literature sources.<sup>15,29,37,42,46–51</sup> Satisfactory agreement of the optical constants is found with available literature data for DNA, Kapton, PE, PMMA and PS, while for PTFE, a good correspondence of the peaks in the optical constants is found with the bulk electronic structure.

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### DATA AVAILABILITY STATEMENT

Data will be made available upon reasonable request.

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### APPENDIX A: VALUES OF THE DRUDE AND DRUDE-LINDHARD OSCILLATOR PARAMETERS FOR THE DIELECTRIC FUNCTION

This appendix contains values of the Drude and Drude-Lindhard oscillator parameters for the dielectric function as given in Tables A1–A7.

**TABLE A1** Parameters for the Drude (Equation 2) and Drude-Lindhard (Equation 3) model dielectric functions for DNA resulting from the linear least squares fit of the data for the normalised DIIMFP shown in Figure 5

Drude			Drude-Lindhard		
$A_i$ (eV) <sup>2</sup>	$\Gamma_i$ (eV)	$\omega_i$ (eV)	$C_i$	$\Gamma_i$ (eV)	$\omega_i$ (eV)
5.27	1.37	6.78	0.044	3.81	12.96
19.25	1.56	8.56	0.040	4.63	15.25
55.17	2.36	9.89	0.058	4.55	17.03
30.94	2.59	11.66	0.041	4.71	18.92
42.76	3.71	13.50	0.095	5.64	20.94
26.49	4.19	15.99	0.044	4.75	23.33
54.13	7.47	18.73	0.063	14.86	23.87
49.59	9.43	22.99	0.052	5.65	25.99
24.33	8.28	27.96	0.062	10.57	30.36
15.34	6.75	32.70	0.080	16.96	34.01
41.61	85.68	34.97	0.019	70.24	58.82
28.54	12.06	38.11			
9.22	7.76	49.76			

Note: An energy gap was simulated by multiplying the resulting energy loss function with a Heaviside step function located at the the experimentally determined value of the energy gap (see Table 2).

**TABLE A2** Same as Table A1 for Irganox

Drude			Drude-Lindhard		
$A_i$ (eV) <sup>2</sup>	$\Gamma_i$ (eV)	$\omega_i$ (eV)	$C_i$	$\Gamma_i$ (eV)	$\omega_i$ (eV)
4.83	0.79	6.18	0.014	0.68	6.35
16.22	2.02	9.53	0.028	2.80	10.66
31.49	2.93	11.30	0.026	2.48	12.79
58.09	3.94	13.53	0.035	2.64	14.78
37.06	4.11	16.16	0.030	3.52	16.35
8.87	3.11	18.29	0.043	3.12	17.37
21.31	4.99	19.70	0.057	3.26	19.31
24.68	5.88	21.97	0.043	3.21	21.28
29.09	7.71	25.42	0.076	4.88	23.54
12.74	14.00	30.36	0.062	5.89	26.69
34.89	11.41	30.53	0.036	7.04	30.87
28.98	13.27	37.89	0.059	18.28	35.33
30.77	14.25	46.42	0.040	30.01	42.15
29.04	16.62	56.37	0.026	28.46	50.62
15.27	19.59	72.05			

**TABLE A3** Same as Table A1 for Kapton

Drude			Drude-Lindhard		
$A_i$ (eV) <sup>2</sup>	$\Gamma_i$ (eV)	$\omega_i$ (eV)	$C_i$	$\Gamma_i$ (eV)	$\omega_i$ (eV)
32.27	1.76	5.49	0.050	1.40	6.41
9.11	1.37	8.62	0.037	5.31	10.54
25.63	2.47	9.91	0.041	3.67	12.60
43.68	3.43	11.63	0.022	2.92	14.33
45.32	5.03	14.05	0.100	4.84	16.88
35.47	6.25	16.63	0.046	3.85	19.43
70.07	9.94	20.07	0.047	4.75	21.60
36.44	9.81	25.30	0.124	8.82	24.09
31.19	11.54	31.20	0.158	12.80	28.26
31.45	15.14	37.52	0.038	12.27	35.96
29.91	16.93	46.15	0.024	34.88	46.33
25.13	12.44	56.03	0.021	23.22	53.12
10.40	7.61	65.02			

TABLE A4 Same as Table A1 for polyethylene (PE)

Drude			Drude-Lindhard		
$A_j$ (eV) <sup>2</sup>	$\Gamma_j$ (eV)	$\omega_j$ (eV)	$C_i$	$\Gamma_j$ (eV)	$\omega_j$ (eV)
70.66	1.18	7.92	0.018	1.62	9.79
32.84	2.73	9.51	0.099	4.40	13.07
30.55	2.86	10.77	0.124	4.46	15.79
20.19	3.24	12.41	0.092	3.89	18.09
43.64	12.33	14.35	0.109	4.43	20.57
24.61	4.27	14.80	0.097	5.46	23.22
10.17	3.40	17.22	0.077	7.03	26.31
11.94	3.91	19.55	0.114	12.42	29.92
18.21	6.93	22.46			
31.60	14.43	26.26			
18.33	13.57	26.53			
20.95	16.79	29.75			

TABLE A6 Same as Table A1 for polystyrene (PS)

Drude			Drude-Lindhard		
$A_j$ (eV) <sup>2</sup>	$\Gamma_j$ (eV)	$\omega_j$ (eV)	$C_i$	$\Gamma_j$ (eV)	$\omega_j$ (eV)
46.95	0.53	5.70	0.060	0.88	6.91
14.28	1.17	9.07	0.011	1.35	9.76
34.72	3.06	9.87	0.012	2.14	10.86
24.28	4.72	10.52	0.044	3.52	12.77
4.78	2.04	10.71	0.086	4.89	15.76
31.07	3.33	11.89	0.116	4.83	18.99
47.63	4.59	14.27	0.090	4.67	21.51
34.49	5.00	17.06	0.076	4.71	24.12
31.32	6.15	20.33	0.050	4.59	27.11
25.56	6.41	23.87	0.029	4.43	29.98
18.04	5.80	27.57	0.019	4.50	33.39
13.16	5.45	31.41	0.005	4.00	37.00
7.39	4.81	35.34			

TABLE A5 Same as Table A1 for PMMA

Drude			Drude-Lindhard		
$A_j$ (eV) <sup>2</sup>	$\Gamma_j$ (eV)	$\omega_j$ (eV)	$C_i$	$\Gamma_j$ (eV)	$\omega_j$ (eV)
11.74	2.08	9.28	0.094	5.86	14.97
25.83	2.14	10.51	0.042	4.09	17.56
21.54	1.97	11.87	0.029	5.07	19.44
26.72	2.53	13.19	0.042	7.18	20.34
27.55	3.13	14.63	0.032	5.08	20.72
29.62	4.06	16.47	0.037	5.48	22.86
27.89	5.14	18.73	0.033	7.13	23.90
23.39	6.19	21.23	0.034	7.14	25.68
39.77	9.50	24.23	0.037	9.02	27.98
29.09	12.02	28.62	0.055	14.11	28.64
28.37	16.36	32.02	0.047	12.63	33.22
22.13	16.91	36.60	0.023	47.23	42.25
16.79	21.99	45.09	0.017	23.75	43.79
20.63	22.37	50.38	0.008	55.84	46.22
40.54	63.83	61.13	0.013	59.81	53.17

TABLE A7 Same as Table A1 for PTFE

Drude			Drude-Lindhard		
$A_j$ (eV) <sup>2</sup>	$\Gamma_j$ (eV)	$\omega_j$ (eV)	$C_i$	$\Gamma_j$ (eV)	$\omega_j$ (eV)
1.36	0.46	7.94	0.007	0.56	8.03
7.78	1.21	12.25	0.007	1.16	12.74
61.08	3.37	15.24	0.038	2.76	16.14
35.78	4.48	19.20	0.023	3.50	17.67
17.52	3.43	20.50	0.069	4.30	21.14
110.88	11.79	25.30	0.053	4.94	24.20
110.12	22.23	35.99	0.030	4.35	27.17
303.57	48.94	52.41	0.016	3.82	29.34
			0.060	8.95	32.87
			0.040	11.79	39.17
			0.067	22.97	49.45
			0.072	54.26	57.95